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# **Measuring strain distributions in tendon using confocal microscopy and finite elements**

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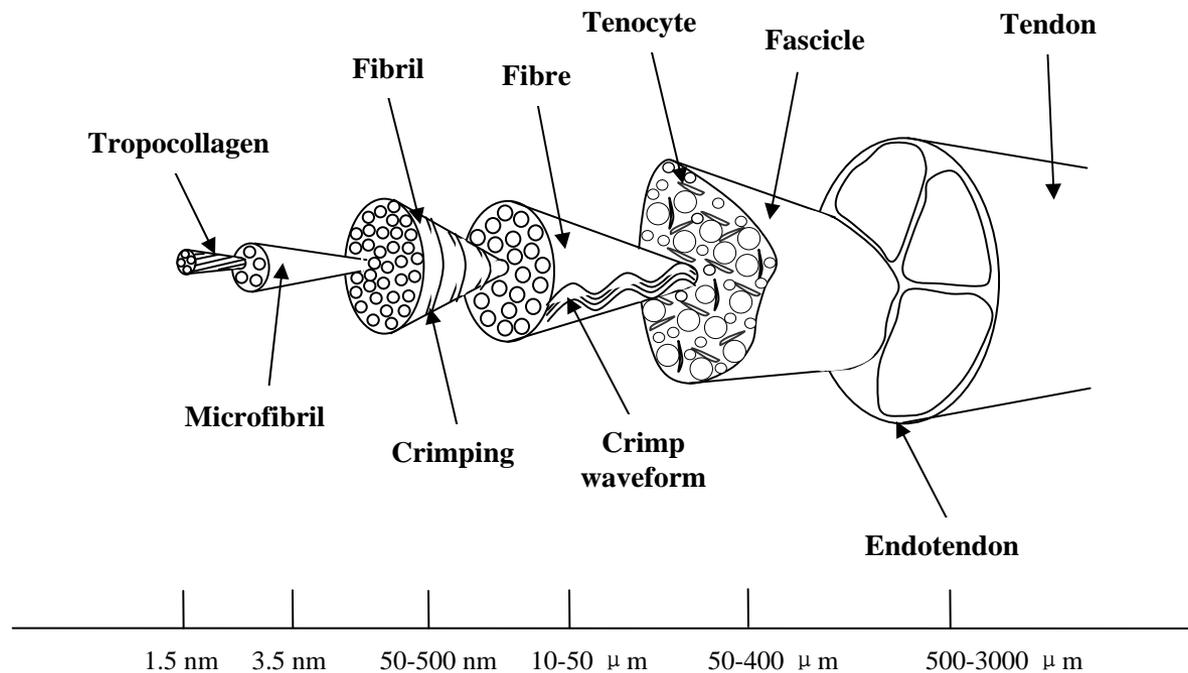
**Hazel Screen**

***Queen Mary University of London***

# Introduction

- **Tendon has a complex fibre structure**
- **Highly viscoelastic with sliding of fibres**
- **Tenocytes attached to the fibre bundles are responsible for mechanotransduction**
- **What strains do the tenocytes “see” during loading/relaxation?**

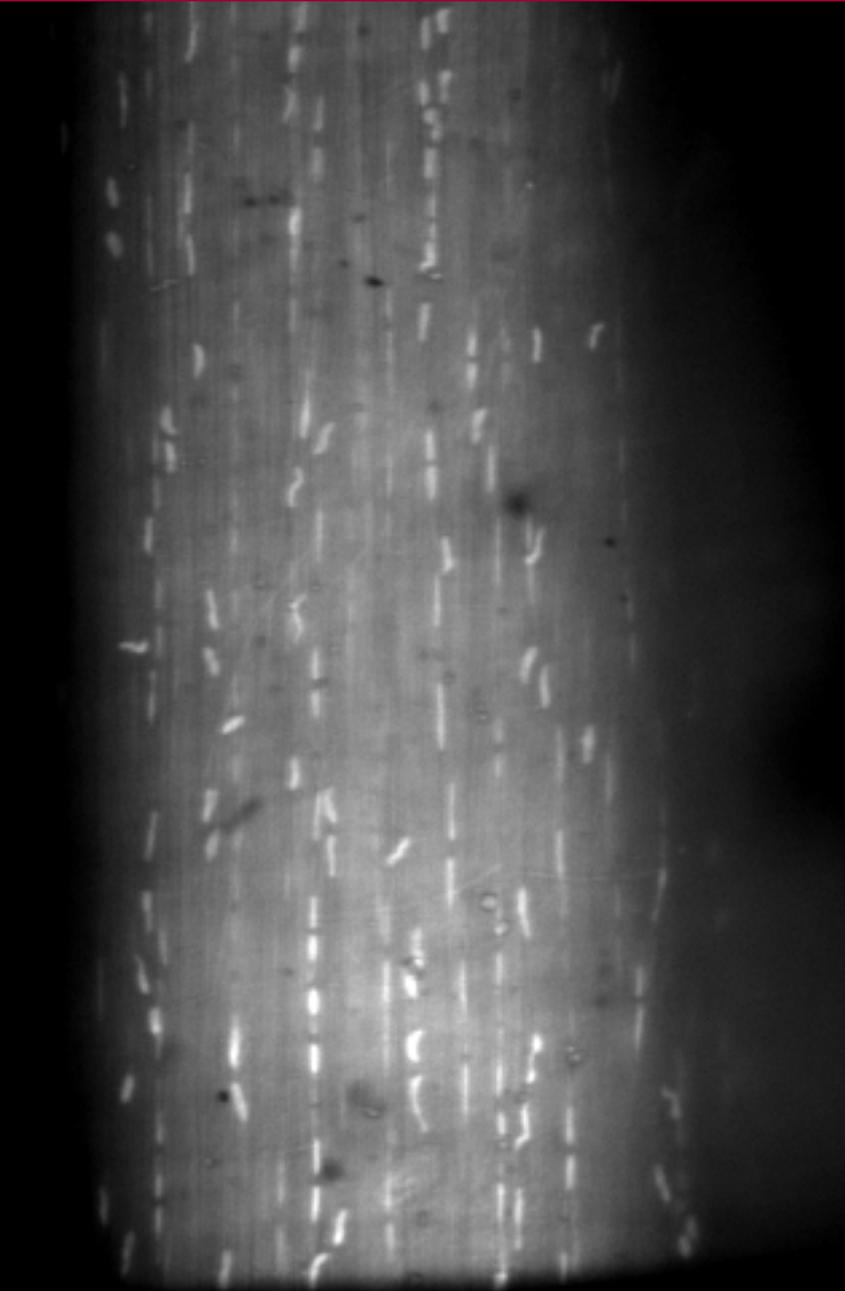
# Tendon structure



Length scales visualised using confocal microscopy

# Methods - experimental

- **Rat tail tendon samples stained with acridine orange and loaded on the confocal microscope**
- **Held at constant strain (6%) and stress relaxation monitored**
- **Images of cells recorded during relaxation**

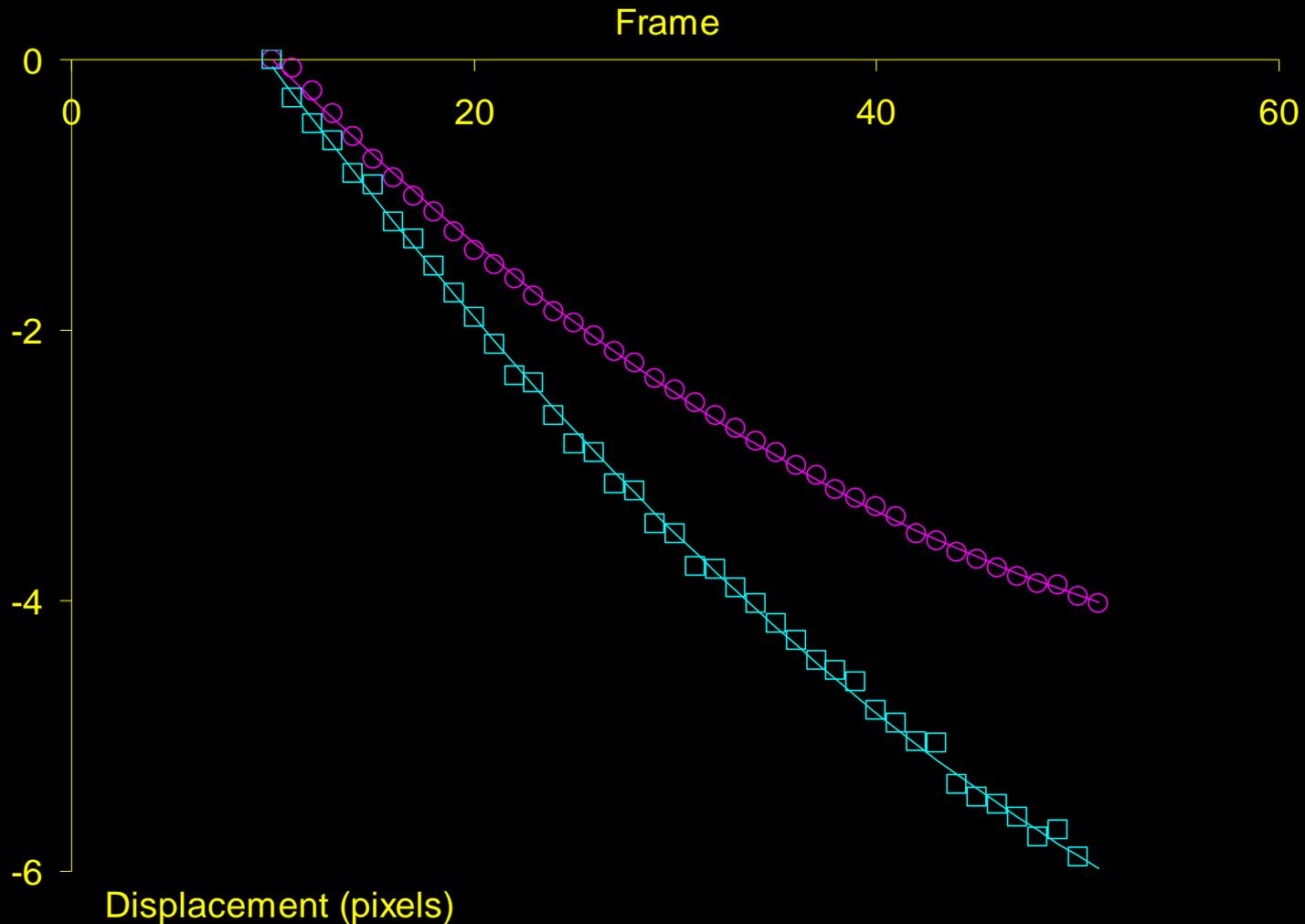


- **Cells and fibres visualised during stress relaxation at constant 6% strain**

# Methods – image analysis

- **Cells thresholded out and tracked using IMARIS (Bitplane, Zurich)**
- **Cell coordinates exported to Matlab and incomplete tracks discarded**
- **Tracks smoothed by fitting a second order polynomial through the data points**

# Cell displacements



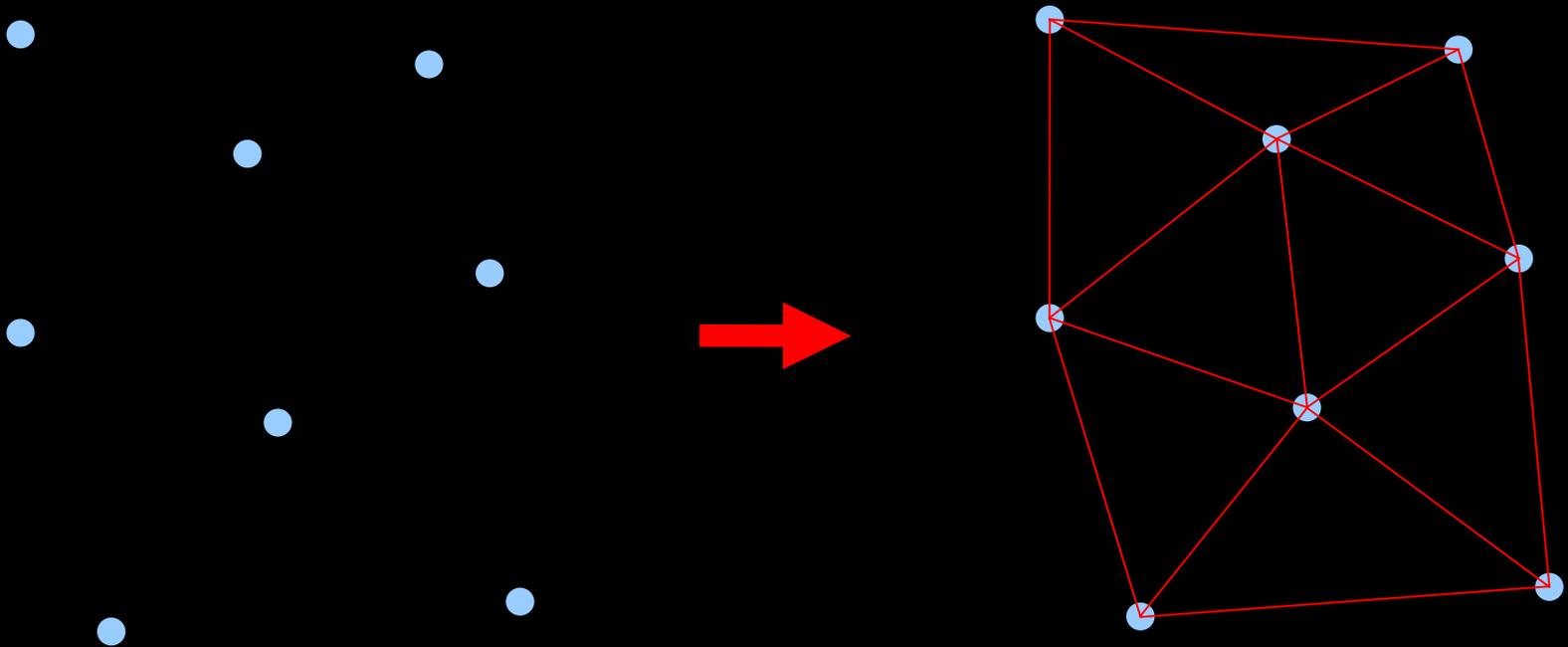
# Strain calculation

- **We have displacement measurements at discrete points**
- **Strain is the rate of change of displacement with position**
- **Need to interpolate the displacements between the measurement points and find the gradients**

# Delaunay meshing

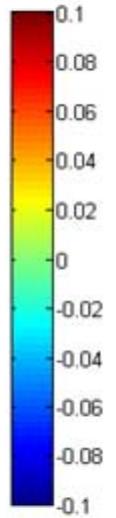
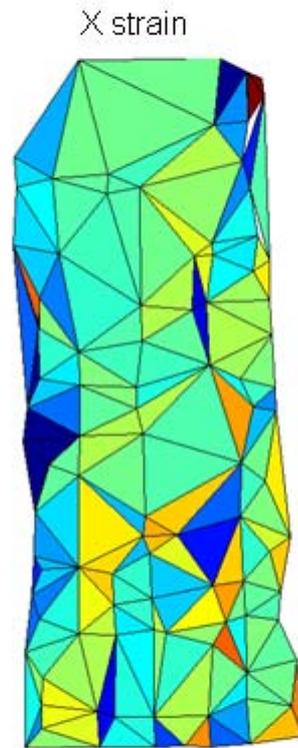
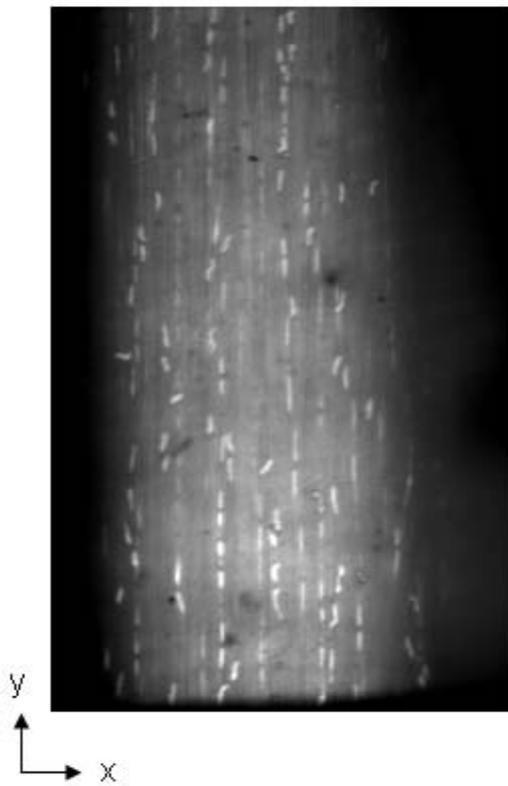
- **If we take three measurement points, we can assume a linear variation in displacement between them**
- **Delaunay meshing always gives the best mesh of triangles joining a set of randomly distributed points**
- **There are still a few very long, thin triangles – these were discarded**

# Delaunay meshing

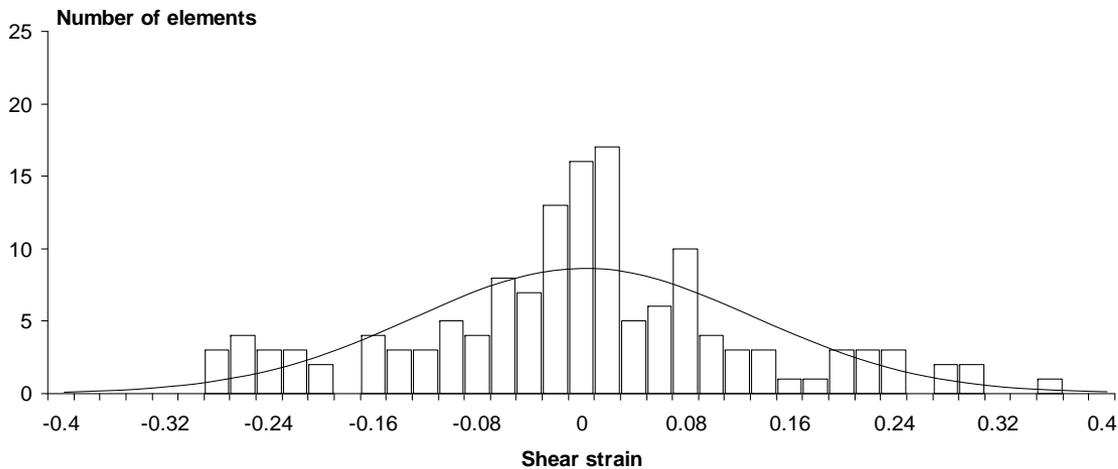
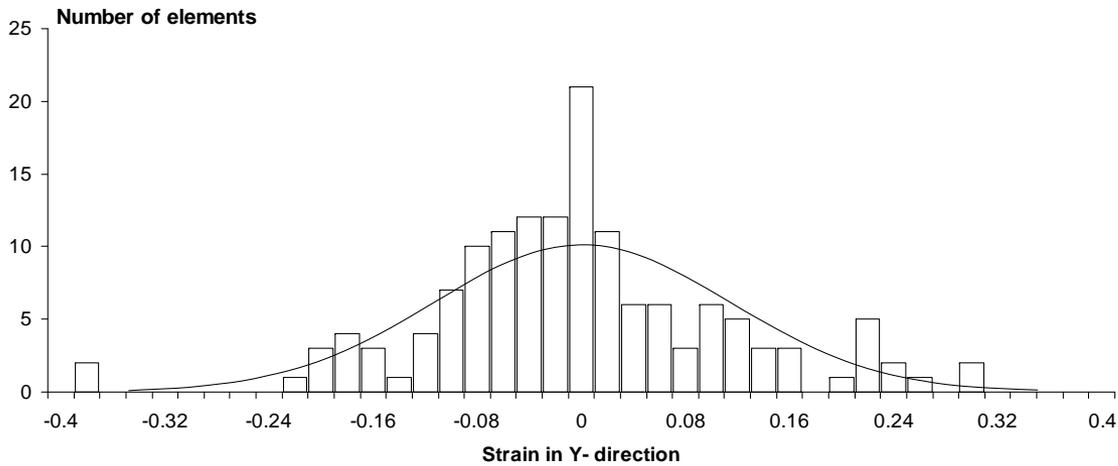
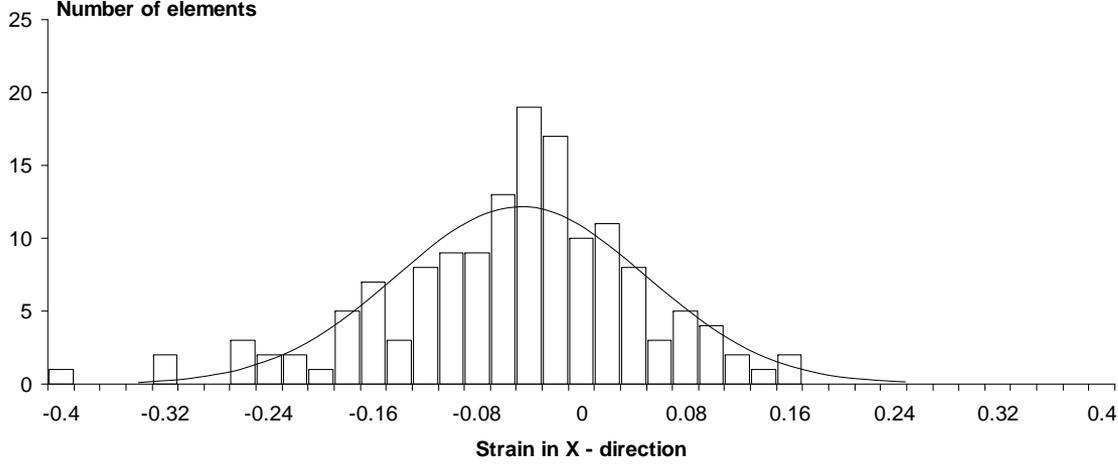


# Finite elements

- **The finite element method provides us with the necessary maths in a convenient form**
- **Calculate a B – matrix for each element**
- **Put the displacements in a matrix and multiply by the B – matrix to get the strains**



**Change in strain during relaxation**



**X:  $-0.051 \pm 0.096$**

**Y:  $-0.0033 \pm 0.114$**

**XY:  $-0.0014 \pm 0.131$**

# Discussion

- **There are very large strains within the tendon during relaxation**
- **These are real movements of the cells, not random errors**
- **The fibres slide, making large strains between adjacent cells**
- **Contraction in x direction due to fluid loss**

# Conclusions

- **A good way to find strain distribution from random point displacements**
- **Large strain changes although the overall strain was constant**
- **The cells “see” very different strains from the overall strain**
- **The extracellular matrix is important**
- **Implications for mechanotransduction?**

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